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MAGNETIC FIELD GENERATION BY A LASER-DRIVEN CAPACITOR-COIL TARGET

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Building a Lumped Circuit Model

The parallel plate target can be thought of as a capacitor with an initial stored voltage that decays to zero by discharging through currents in the coil and plasma. The parameters for the model were calculated as follows:

Using Kirchoff's voltage law to analyze the circuit on the left, Current, $I_L(t)$ is: $I_L(t) = A_1 e^{s_1 t} + A_2 e^{s_2 t}$

$$s = \frac{-L \pm \sqrt{C^2 R^2 R_s^2 - 2CLRR_s - 4}}{2CLR_s}$$

Where s_1 and s_2 are the \pm forms of s. R_s = source or plasma resistance, R = coil resistance, L = coil inductance, C = capacitance, which represents foils. L is a geometric constant and R_s , is calculated by the parallel Spitzer resistivity at $T_e = 2000 eV$. R and C are calculated theoretically below:

$$\eta(T) = \eta_0 (1 + 3.9 \times 10^{-3} (T - T_0)), R(T) = \frac{\eta(T) l_w}{\pi d_w \delta} \quad (3) \quad \begin{array}{l} W_w = c \\ gap \ di \\ gap \ di \\ C(t) = \frac{A\epsilon_0}{d} + \frac{A_p l \epsilon_0}{3\lambda_d} \quad (4) \\ \frac{dT(t)}{dt} = \frac{I_L(t)^2 R}{C_{conlw} d_w \delta \pi} \quad (5) \quad \text{rate of} \end{array}$$

N.Sinenian et al, Plasma Phys. and Controlled Fusion, 55 (045001), 2013.

SIMULATION

The time-evolving current is simulated below using the lumped-circuit model:

A). Single Coil Time (ns) The current direction in the inductor was first verified by summing the currents I_1 and I_2 . Afterwards a fit line based on the experimental data was created using arbitrary values.



Current response was simulated for a sweep of R, R_s , and C values. The first three of the above plots shows sweeping at a given resistance, and the last compiles best fit sweeps over many resistances and a constant capacitance.







 $\overline{4CLR_s^2+L^2}+CRR_s$

e $\delta = \text{skin depth}, \eta_0 = \text{room temperature resistivity},$ coil length, $d_w = \text{coil diameter}$, A = foil area, and d =istance

erature during the laser pulse, T(t < 1ns), is lated by equation 5. T(t > 1ns) is determined by the of radiative heat transfer, where emissivity, $\epsilon = 0.6$







time varying varying R and C.

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• this plot shows a fitted current response using varying capacitance based on the the narrowing gap distance. In the simulation, R and C were fixed, whereas in reality, both are

• the next step is to build a self-consistent model with time

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